

$$\zeta_\Phi \Phi n(\Phi,O,\oplus_{\mathfrak{I}},...,\oplus_n)(\mathfrak{Y},n)$$

$$(f,g)\in\zeta_\Phi\Longleftrightarrow f\subset g$$

$$AA\Delta_A$$

$$\Delta_A=\{(a,a)|a\in A\}$$

$$\rho\subset A\times A$$

$$\Delta_A\subset \rho\bullet$$

$$b_{\mathfrak{I}},b_{\mathfrak{Y}}\in Ba\in A\rho\subset A\times B$$

$$(a,b_{\mathfrak{I}})\in\rho\wedge (a,b_{\mathfrak{Y}})\in\rho\rightarrow b_{\mathfrak{I}}=b_{\mathfrak{Y}}$$

$$\rho:A\rightarrow B\rho\subset A\times B\rho$$

$$\rho_\eta o_\xi arity m_\eta n_\xi A\rho_n\in \mathfrak{B}(A^{m_\eta})o_\xi\in \mathcal{T}(A^{n_\xi})$$

$$n_i o_{\mathfrak{I}},...,o_p A\mathfrak{U}=(A,o_{\mathfrak{I}},...,o_p,\rho_{\mathfrak{I}},..., \rho_p)$$

$$(\mathfrak{Y},n)$$

$$n\mathcal{F}(A^n,A)$$

$$n(\mathfrak{Y},n)(\mathfrak{Y},n)$$

$$G\zeta_Pn\wp(\mathfrak{Y},n)P$$

$$(g_{\mathfrak{A}},g_{\mathfrak{A}})\in\zeta_P\Longleftrightarrow P(g_{\mathfrak{A}})\subset P(g_{\mathfrak{A}})$$

- [1] V. D. Belousov, *Systems of orthogonal operations*, Math. USSR, Sb. (1969) 172:32-52.

superassociative

algebra of words

$$\zeta_\Phi, \zeta_P$$